# Autonomous Operation in Contested Environments

#### Saurabh Bagchi ECE & CS, Purdue University Center for Resilient Infrastructures, Systems, and Processes (CRISP) Joint work with:

ECE: Mustafa Abdallah, Parinaz Naghizadeh, Shreyas Sundaram Economics: Tim Cason, Daniel Woods



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## **ML in Security**

- 1. ML algorithms used in security tasks: common case
  - Spam detection, credit card fraud detection, ...
- 2. Security of ML algorithms themselves: more recent but intense activity
  - Categorization based on temporal characteristic of attack or attacker knowledge
  - Categorization 1: Training time<sup>[1,2]</sup> versus test time<sup>[3]</sup>
  - Categorization 2: Model knowledge by attacker

Bibliography at the end of the slide deck



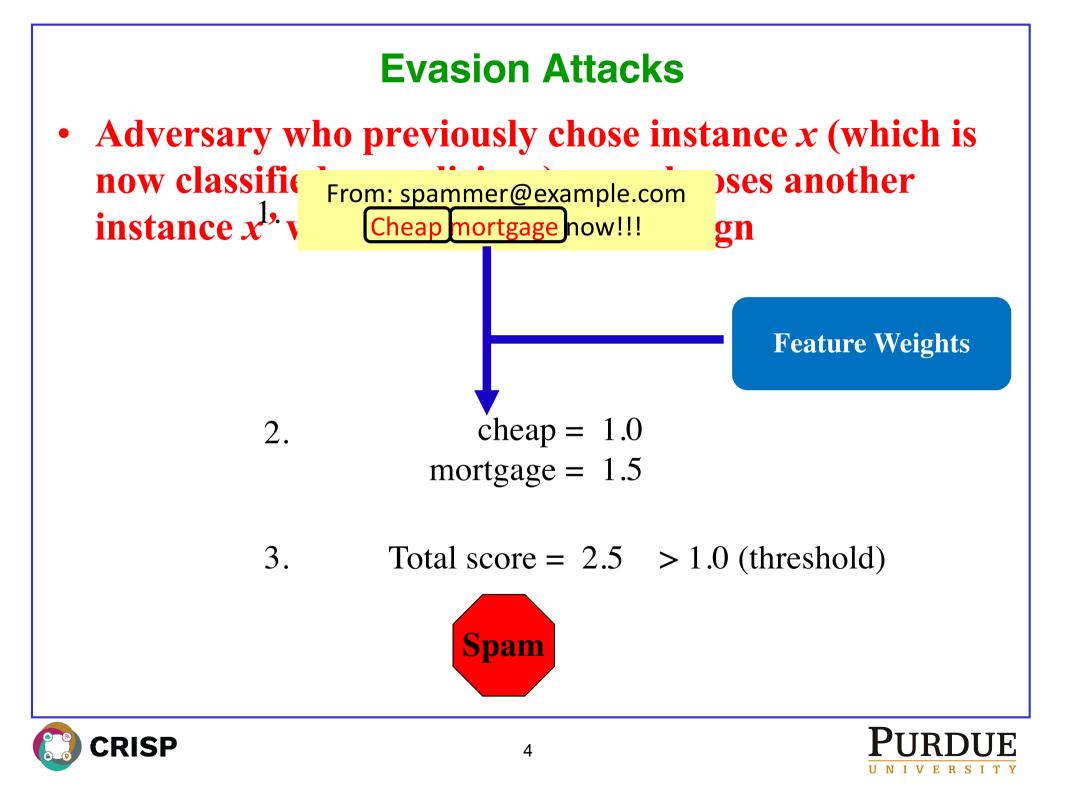


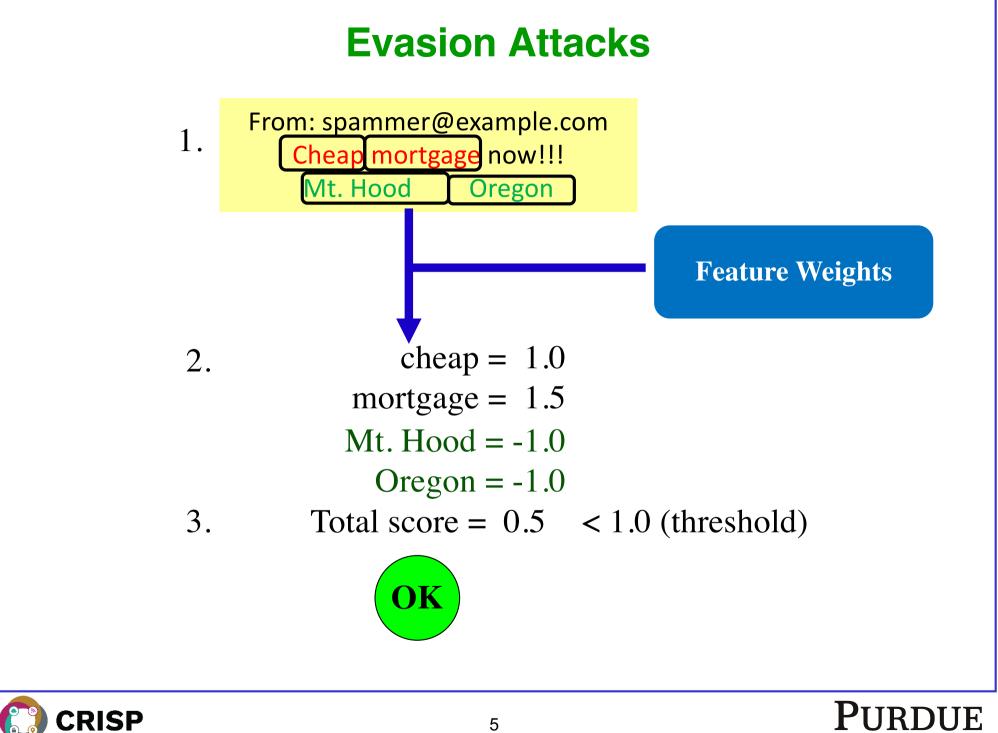
## **Some Types of ML Attacks**

- Evasion attacks
- Poisoning attacks
- AML in Deep Neural Networks











## **Modeling Evasion Attacks**

- Attacker has an "ideal" feature vector  $x_{ideal}$ 
  - These are the original malicious feature vectors in training data
- Modifying x into another feature vector x' incurs a cost
  C(x<sub>ideal</sub>, x')
- The attacker's goal is to appear "benign" to the classifier
- Observation: Feature space modeling
  - Attacker can make arbitrary changes to features
  - Cost is meant to capture constraints faced by the attacker

Slide from Yevgeniy Vorobeychik, AAAI 2018





## Attacker Knowledge

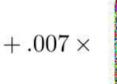
- **Black-box attacks:** Attacks that fool a target model by adversarial examples made on a substitute model.
  - Adversaries do not know internal parameters of target model
  - However, using the same training data set, they can train their own DNN model; Can construct gradients of the target model with high similarity
- White-box attacks: Attacks that attempt to mislead the target model using the adversarial examples crafted on the target model itself
  - Adversaries are assumed to have access to the target model
  - Can compute the gradients of the target.





#### **Adversarial Examples**







NN prediction: Panda (70%)

NN prediction: Gibbon (99%)

Training:  $X \to \theta$  Inference:  $\theta_x \to y$ 

Inference under attack:  $\theta_{x'} \rightarrow y'$ 

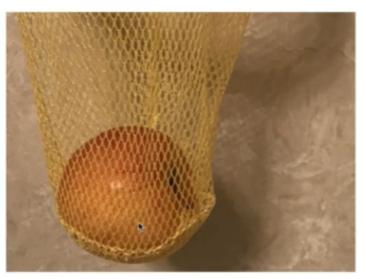




#### **Adversarial Examples in the Physical World**



(Eykholt et al, 2017)



(Goodfellow 2018)

• **AE Transferability:** It was shown in [Goodfellow-NIPS14] that AEs crafted to mislead a DNN often also mislead a substitute model of the DNN





## **Some Ideas for Defense**

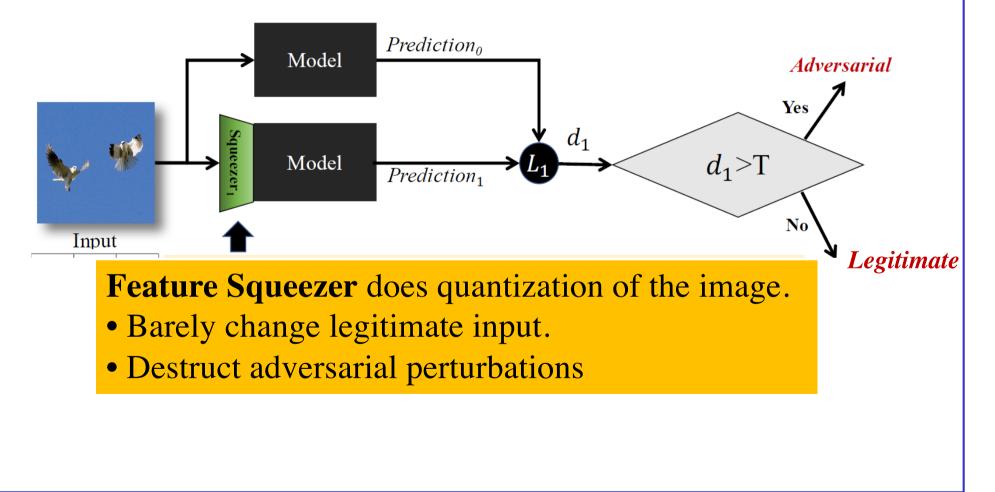
- **1. Adversarial training:** Proactively generating adversarial examples as part of the training procedure
  - Activity in efficiently generating lots of adversarial examples by perturbing actual data points
  - Model is then trained to assign the same label to the adversarial example as to the original example
- 2. Defensive distillation: Smooths the model's decision surface in adversarial directions exploited by the adversary
  - Distillation is a training method where one model is trained to predict probabilities output by another model that was trained earlier
  - First model is trained with "hard" labels (100% probability that an image is a dog rather than a cat) and then provides "soft" labels (95% probability that an image is a dog rather than a cat) used to train the second model
  - The second "distilled" model is more robust to attacks





## **Latest Defense against Adversarial Examples**

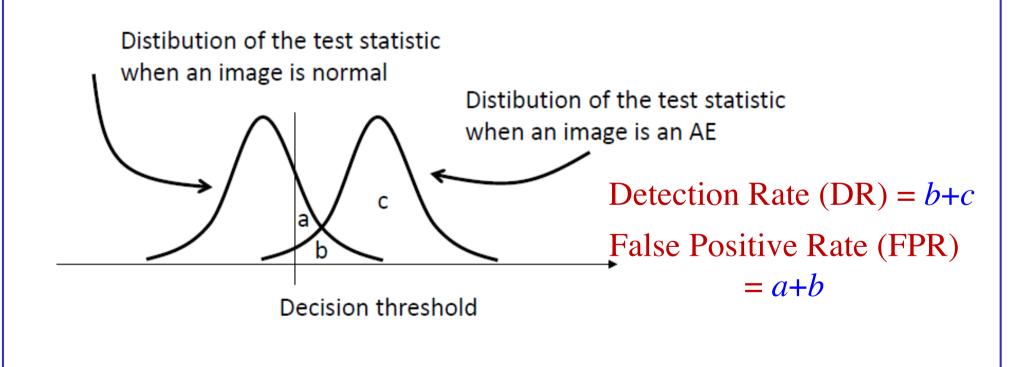
- Feature Squeezing: [Xu-Evans-Qi-NDSS18]
- Detect AEs rather than making model robust to AEs





## But the Arms Race Goes On

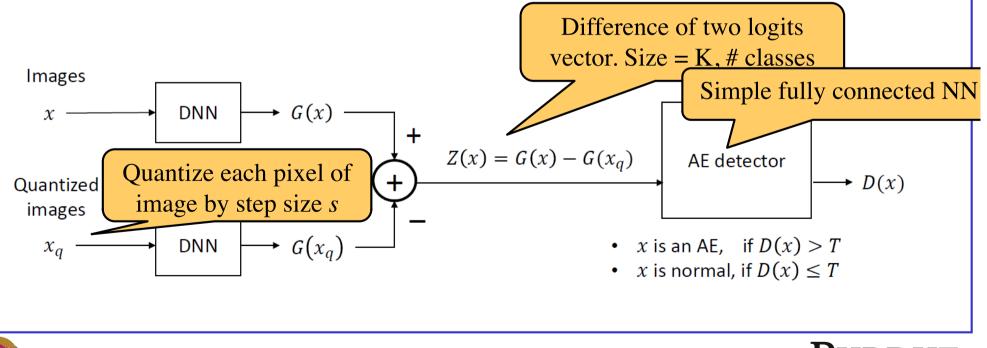
- Feature Squeezing's decision threshold needs to be fixed targeting a particular perturbation level
  - It performs poorly for perturbation levels that the threshold is not targeted for





#### **One Possible Solution**

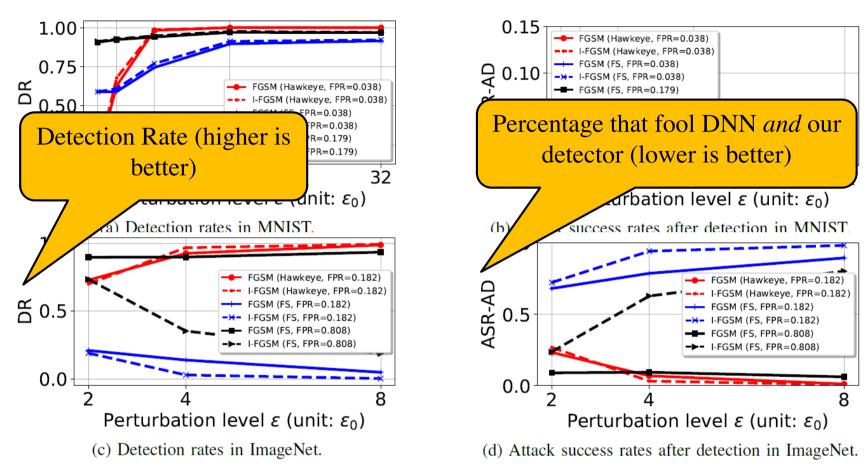
- Fundamentally, the drawback of FS is that there is a rigid mapping of perturbation level used to generate AE and L1 norm threshold
- We show that using a richer detector can lead to more precise detection across a wide range of perturbation levels
- For a given image *x*, we consider a quantized image *x<sub>q</sub>*, which is made by quantizing each pixel of *x* with step size *s*





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#### **Preliminary Evaluation**



- HAWKEYE achieves a much lower ASR-AD than FS
- Even though DR at low perturbation level is not high, but it is not a big issue in terms of ASR-AD



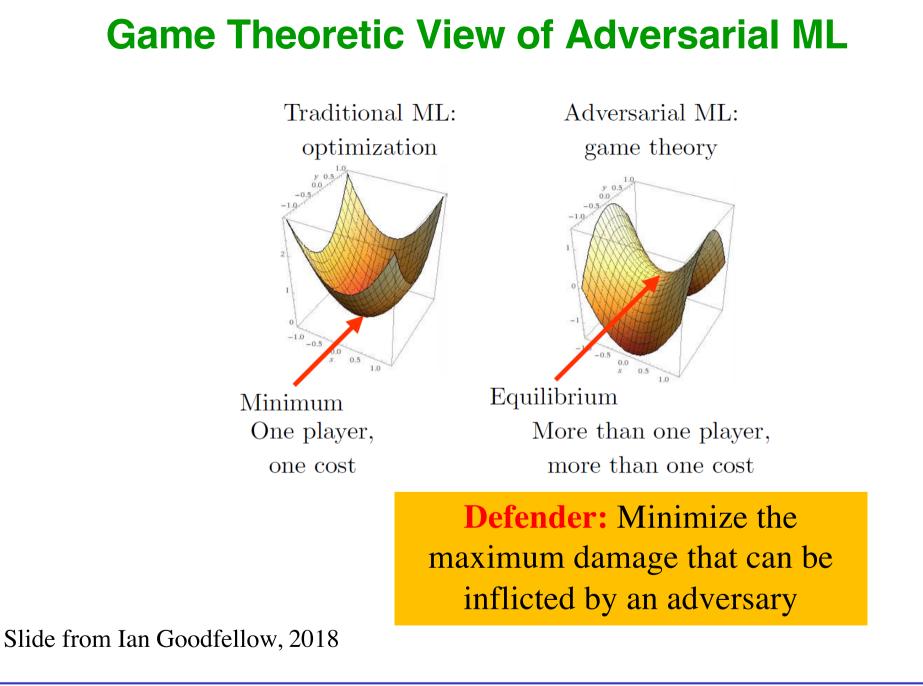


#### **Open Research Problems**

- How is performance to "natural faults"
  - Examples: Brightness-reduced images (simulating images taken at night time), occlusion by a noise box (simulating an attacker or a water drop potentially blocking some parts of a camera), and occlusion by multiple tiny black dots (simulating dirt on camera lens)
- How can this class of techniques be used together with gradientmasking defenses that have been discredited in general, but often work well for low perturbation level attacks?
- Fundamentally, it is hard to defend against Adversarial Examples because it is hard to construct a theoretical model of the AE crafting process
  - AEs are solutions to an optimization problem that is non-linear and nonconvex for many ML models
  - Because we don't have good theoretical tools for describing the solutions to these complicated optimization problems, it is very hard to make any kind of theoretical argument that a defense will rule out a set of AEs





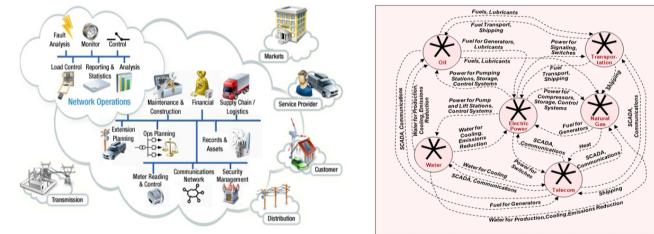






## **Real-world Problem Context**

- Modern critical infrastructures have a large number of assets, managed by multiple stakeholders.
- The security of these complex systems depends critically on the interdependencies between these assets.



Goal: Create optimal and strategic allocation of defense resources in interdependent large-scale networks. Tools: Machine Learning and Game Theory





## **Our Research Direction**

- **Game-theoretic framework** involving attack graph models of large-scale interdependent systems and multiple defenders
- Each **human** defender misperceives the probabilities of successful attack in the attack graph
- We characterize impacts of such misperceptions on the security investments made by each defender Attacker



$$\sum_{m \in V_k} L_m \left( \max_{P \in \mathbb{P}_m} \right)_{(1)}$$

$$\left(\prod_{(u_i,u_j)\in P} \mathbf{w}(p_{i,j}(\mathbf{x}))\right) p_{i,j}$$

Defender



Defender 2



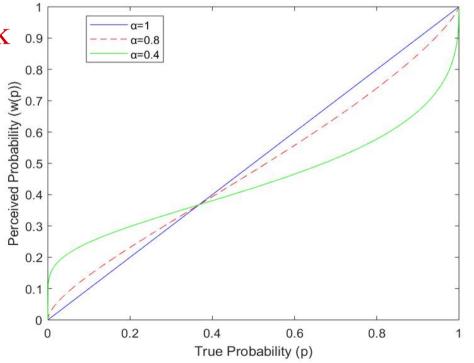
 $C_k(\mathbf{x})$ 

 $u_1$ 

Δ

## **Behavioral Weighting Function**

- Human perceptions of rewards and losses can differ substantially from their true values
- These perceptions can have a significant impact on the investments made to protect the systems that the individuals are managing.
- Humans overweight low attack 0.9
  probabilities and underweight 0.8
  large attack probabilities.
- Example: Prelec [1998] weighting function:
- $w(x) = \exp(-(-\ln(x))^{\alpha})$
- where parameter  $\alpha \in (0,1]$ .







#### What's Nobel Got to Do With It?



'A lifetime's worth of wisdom' Steven D. Levitt, co-author of *Freakonomics* 

The International Bestseller

Richard Thaler (2017 Economics Nobel Laureate): "I discovered the presence of human life in a place not far, far away, where my fellow economists thought it did not exist: the economy."

a counterpoint to expected utility theory







## **Some Definitions**

- Behavioral defender (colloquially "biased defender"): Makes security investment decisions under cognitive biases
  - Using prospect-theoretic, non-linear probability weighting models, they misperceive probabilities of a successful attack on edges of the attack graph
- Non-behavioral (colloquially "rational defender"): Makes security investment decisions based on the classical models of fully rational decision making
  - Correctly perceives the risk on each edge within the attack graph of the CPS network, and chooses investments accordingly
- Why do we need to consider human cognitive biases in security decision making?
  - Significant investments in security controls, security policies, or changes in the system architecture involve human decision making
  - One player may have partial observability of other player's actions
  - Deception may be used to create mis-perception of attack-defense successes



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#### **Optimization Problem Formulation**

• The probability of successfully compromising  $v_j$ , starting from  $v_i$ , is given by

$$p_{i,j}(x_{i,j}) = p_{i,j}^0 \exp\left(-s_{i,j} \sum_{D_k \in D \text{ s.t. } (v_i, v_j) \in \mathcal{E}_k} x_{i,j}^k\right)$$

• A behavioral defender  $D_k$  chooses her investments  $x_{i,j}^{k}$  to minimize her *perceived* loss

$$C_k(\mathbf{x}) = \sum_{v_m \in V_k} L_m \left( \max_{P \in P_m} \prod_{(v_i, v_j) \in P} w\left( p_{i,j}(x_{i,j}) \right) \right)$$

- The probability weighting function *w*(*p*) gives how humans misperceive true probability *p* 
  - For example: a commonly believed functional form is the Prelec form where  $\alpha \in (0, 1]$  determines the degree of mis-perception

$$w(p) = \exp\left[-\left(-\log(p)\right)^{\alpha}\right],$$









#### Intuition for Behavioral vs. Non-behavioral Decisions

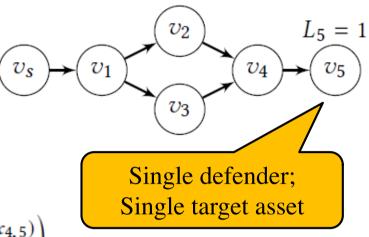
- **Min-cut of a graph:** Given two assets *s* and *t* in the graph, an edge-cut is a set of edges *E<sub>c</sub>* such that removing them from the graph removes *all* paths from *s* to *t*; A min-cut is an edge-cut of smallest cardinality over all possible edge-cuts
- Two possible min-cuts:  $(v_s, v_l), (v_4, v_5)$
- Total loss function for the defender

$$C(x) = \max\left(e^{-(x_{s,1}+x_{1,2}+x_{2,4}+x_{4,5})}, e^{-(x_{s,1}+x_{1,3}+x_{3,4}+x_{4,5})}\right)$$

- **Theorem:** One can prove (using the KKT conditions of non-linear programming) that it is optimal for a non-behavioral defender to put all of her budget only on the min-cut edges, i.e., any solution satisfying  $x_{s,1} + x_{4,5} = B$ 
  - Optimal investment leads to a loss of  $e^{-B}$
- For the behavioral defender total loss function is:

$$\min_{x} \max\left(e^{-x_{s,1}^{\alpha} - x_{1,2}^{\alpha} - x_{2,4}^{\alpha} - x_{4,5}^{\alpha}}, \ e^{-x_{s,1}^{\alpha} - x_{1,3}^{\alpha} - x_{3,4}^{\alpha} - x_{4,5}^{\alpha}}\right)$$





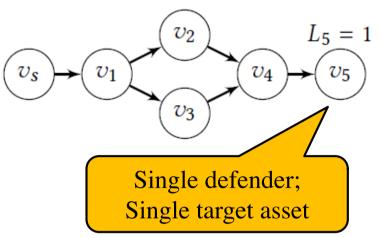


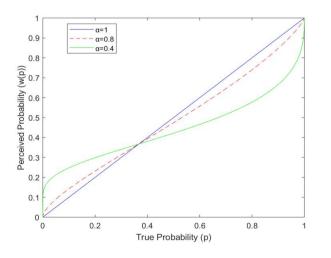
#### Intuition for Behavioral vs. Non-behavioral Decisions

• Optimal investment by behavioral defender:

$$x_{1,2} = x_{2,4} = x_{1,3} = x_{3,4} = 2^{\frac{1}{\alpha-1}} x_{s,1}.$$
$$x_{s,1} = x_{4,5} = \frac{B-4x_{1,2}}{2} = \frac{B}{2+4(2^{\frac{1}{\alpha-1}})}.$$

- There are investments on non-min-cut edges
  - Loss for behavioral defender > Loss for nonbehavioral defender
  - Why this behavior?
    - When considering an undefended edge, the marginal reduction of attack probability on that edge as *perceived* by a behavioral defender is much **larger** than the marginal reduction of true attack probability
    - Thus the behavioral defender is incentivized to invest some non-zero amount on that edge



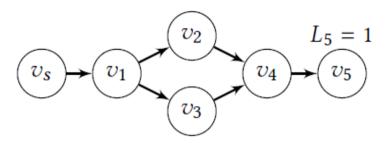




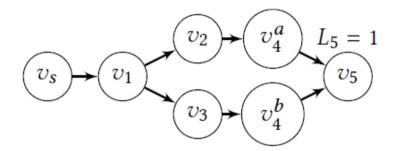


## **Other Modeling Factors**

• Multi-hop dependence



(a) A baseline attack graph.



(b) An attack graph created from (a) if the nodes have two-hop dependencies.

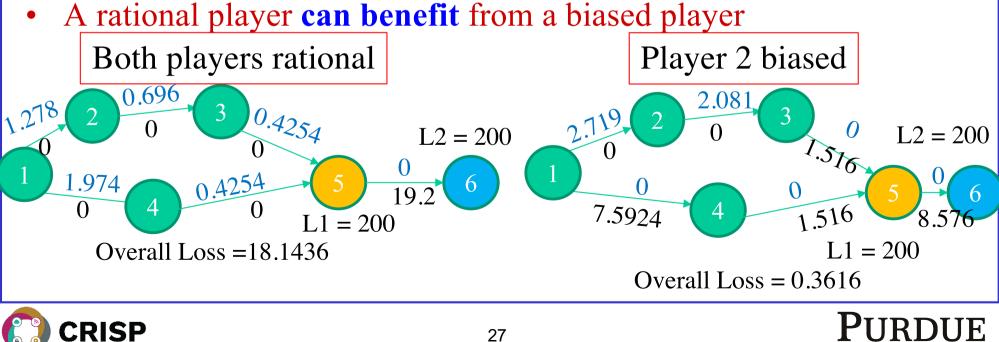
- Spreading behavior of security investments
  - Behavioral defender spreads her defensive investments on all edges throughout the attack graph
  - Solution approach: For each defender  $D_k$ , we set  $x_{i,j} \ge \eta_k$
- Misperception due to information asymmetry or deception
  - **Hypergames** extend the classical game theory model by incorporating the *perception* of each player in the game analysis
  - Solution approach: We show hypergames is a valuable game-theoretic model to analyze how to use deception to increase security of inter-dependent systems





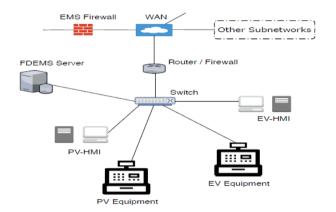
#### **Initial Observations**

- Both games (vertex based and path based) have **Convex cost** function given a convex decreasing probability function
- Both games have a Pure Nash Equilibrium (PNE) state
- In each game, we can compute the best response by solving a convex optimization problem
- They have **different investment decisions** than standard security game which maximizes expected utility

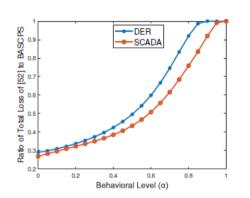




#### **Sample System Applications**



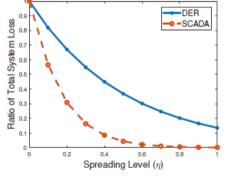
A network level system source (DER) system within the the DER.1 failure scenario, wh physical access attack to the HM (adapted from [32]).



behavioral levels, with  $\eta = 0$ .

DMZ1 CORP DMZ2 L = 7 L = 5 L=7 RTU1 RTU1 L=16 RTU1 RTU2 RTU2 RTU2 S L=16, L=16 1=16 CONTROL CONTROL2 VENDOR L = 5 L = 5

The attack graph for a SCADA-based control network, adapted from [27]. The attacker's starte has an associated loss



:).





Figure 13: The ratio of loss esti- Figure 14: The ratio of loss estimated by [57] to the (true) loss es- mated by [57] to the (true) loss estimated by BASCPS for different timated by BASCPS for different spreading levels, with  $\alpha = 1$ .





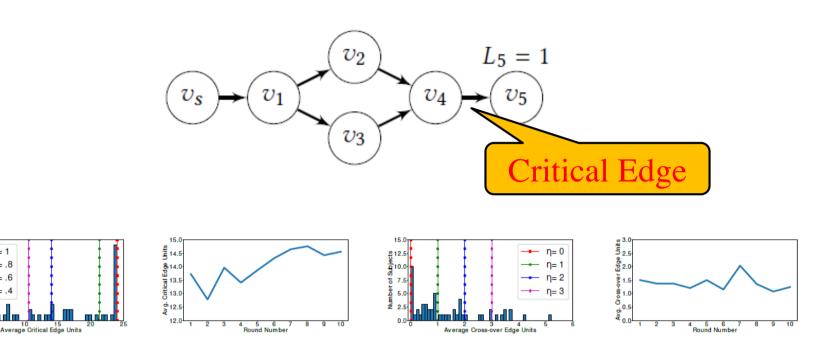
## **Insights about Behavioral Decision Making**

| System Parameter    | Insights from Behavioral Decision Making   |
|---------------------|--|
| Defense Budget      | The adverse effects of behavioral decision making are most severe with moderate defense budgets (Figure 10). In particular, at     |
|                     | either extreme of sufficiently large or extremely limited budgets, the amount of the budget, rather than its allocation, is most   |
|                     | crucial in determining the system's security, so the effects of behavioral decision making become secondary.                       |
| Interdependency     | The impact of behavioral suboptimal decision making on the system is magnified as the degree of the interdependency between        |
|                     | subnetworks belonging to different defenders increases (Figures 15, 19).   |
| CPS Size            | The impact of behavioral suboptimal decision making is magnified as the number of nodes in the CPS grows (Figures 11, 20).         |
| Budget distribution | The negative effect of behavioral decision-making is more pronounced with asymmetric budgets among the defenders (Fig-             |
|                     | ures 12, 25).  |
| Defense Mechanism   | Selfish defense decisions together with behavioral decisions significantly increase security risk. Cooperative (or joint) defense  |
|                     | among the defenders has the potential of overcoming the effects of suboptimal behavioral decision making. This even improves       |
|                     | security outcomes over rational but selfish decision making (Figures 12, 21).  |
| Central Planning    | We compare the outcomes of decentralized decision making by individual defenders with those of investment decisions by a           |
|                     | central planner, such as through a federal regulatory authority, tasked with minimizing social loss of the whole system. Central   |
|                     | planning is most beneficial for improving CPS security when the defenders have a higher degree of behavioral bias and when         |
|                     | the security budget is high (Figure 26).   |
| Sensitivity         | Behavioral decision making leads to investing less security resources on the parts of the network that are more sensitive to       |
|                     | investments (i.e., probability of attack comes down faster with additional security investment) when there are few critical assets |
|                     | to be protected (Figure 16).   |





#### **Human Subject Experiments**



behavioral levels ( $\alpha$ ).

 $\alpha - \gamma$ 

 $\alpha - 8$ 

subjects are learning.

Figure 4: Histogram of human sub- Figure 5: Average of all subjects' Figure 6: Histogram of human sub- Figure 7: Average of all subjects' injects' investments on the critical investments on the critical edge jects' investments on the cross-over vestments on the cross-over edge vs edge. The vertical red lines show vs experiment rounds. The upward edge. The vertical red lines show experiment rounds. There is only a the optimal allocations at specific trend indicates that on average, the optimal allocations at specific weak downward trend in subjects' spreading levels  $(\eta)$ .

spreading behavior.

- Fully rational players tend to invest in min-cut edges
- Behavioral players also invest in non critical edges and have a spreading behavior





## Take Aways and Open Challenges

- Adversarial ML algorithms need to be considered
  - To defend against malicious tampering of the model or the data
  - To protect against natural failures for high reliability scenarios: Autonomous vehicles, Air traffic control, Surgery robots, ...
- Game theory can be applied to understand the effects of misperceptions, whether natural or maliciously induced
  - For inter-dependent systems, possibly with multiple defenders
  - Extensions to classical models needed
  - Behavioral game theory for handling misperceptions
  - Hypergame theory for handling different degrees of misinformation among players
- Open Challenges
  - 1. Laws of secure ML algorithms? Even under highly specific conditions
  - 2. Game theory being used to analyze dynamic scenarios. Respond in real-time.
  - 3. Induce beneficial misperception to lead to secure deployments.





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#### **Our Papers**

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